Anomalous suppressed thermal conductivity in CuInTe₂ under pressure

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Paper Presentation

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Introduction and Motivation

• We are all familiar with thermoelectricity and its benefits

Figure of merit:
$$zT = rac{S^2\sigma}{\kappa}T$$

- For good zT, need high S, σ , and low κ (= $\kappa_{el} + \kappa_{ph}$)
- Unfortunately, if $\sigma \uparrow$, then $\kappa_{el} \uparrow$ (Wiedemann-Franz law)
- Ways to improve zT: $\begin{pmatrix} 1 \\ 2 \end{pmatrix}$
- lower κ_{ph}- nano structuring, defect engineering, alloying, etc.
 Increase pressure to increase σ
- **Pressure** $\uparrow \Rightarrow \sigma \uparrow$ due to changes in electronic band structures, but also $\kappa_{ph} \uparrow$ (Liebfried-Schlomann theory)
- But for CuInTe₂, a different trend was observed experimentally for κ_{ph} which made it perfect for TE applications with a zT of 1.1 @ 300K under normal conditions which increased almost 5 times upon application of pressure

Computational Details



- LDA exchange correlation functional
- Kinetic energy cutoff: 600 eV
- Self Convergence criterion: 10-6 eV
- Relaxation criterion: 1 meV/A
- 8 x 8 x 2 MP k-grid

PhonoPy

2 x 2 x 1 supercell for computing force constants



13 x 13 x 13 q-grid for obtaining scattering rates via Boltzmann Transport Equation

shengBTE

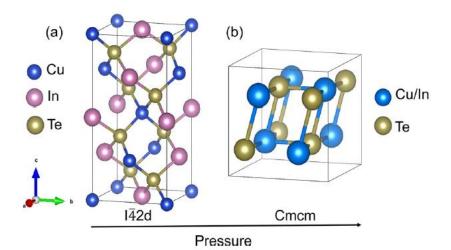


Belongs to a diamond-like crystal system at atmospheric pressure

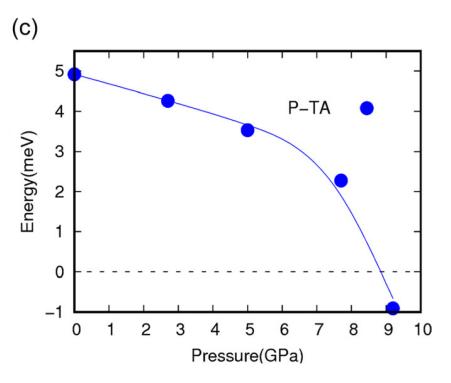
Table S1 Lattice constant and the bond length (d) of the conventional cell in comparison with the

	<i>a</i> = <i>b</i> (Å)	$c(\text{\AA})$	d(Cu-Te) (Å)	d(In-Te) (Å)
experiment	6.19	12.41	2.59	2.78
0 GPa	6.13	12.28	2.52	2.79
7.7 GPa	5.92	11.83	2.43	2.70

Experiments show CuInTe₂ undergoes phase transition at a pressure of 6.9 GPa



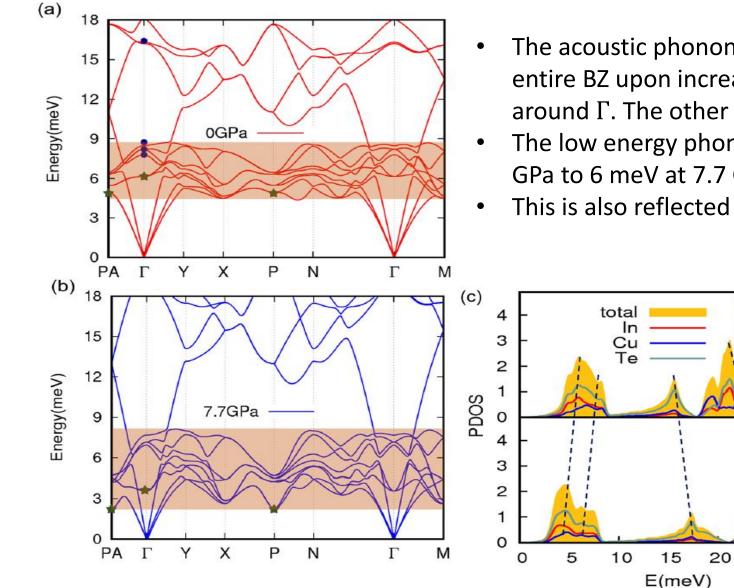
Phonon dispersion calculations reveal that the transverse acoustic (TA) mode at the high-symmetry P point starts to soften with increasing pressure and becomes –ve at around 8.7 GPa



To analyse the pressure effect before phase transition, the authors calculate phonon dispersions and thermal-k at **0 GPa** and **7.7 GPa**

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Phonon Dispersions



- The acoustic phonons and first 6 optical phonons soften in the entire BZ upon increasing pressure except for LA which hardens around Γ . The other branches harden (no anomaly there)
- The low energy phonon bandwidth increases from 4.5 meV at 0 GPa to 6 meV at 7.7 Gpa

0GPa

7.7GPa

30

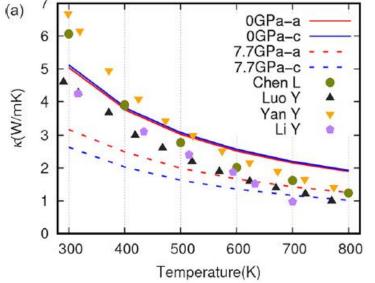
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This is also reflected in the phonon-dos

Phonons below 10 meV soften whereas the highest phonon frequency increases from 23.4 to 29.9 meV upon increasing pressure The DoS peak around 6 meV decreases to 4 meV and the shoulder around 8 meV broadens

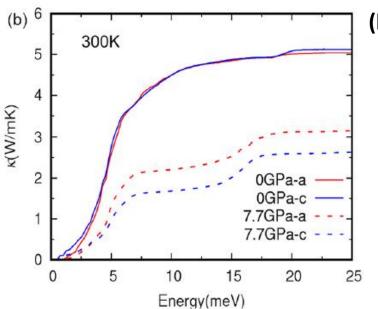
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Thermal Conductivity



(a) Thermal-k with temperature at 0 and 7.7 GPa

- κ_a decreases by 41% (from 5.40 to 3.18 W/mK) and κ_c decreases by 49% (from 5.15 to 2.64 W/mK) upon increasing pressure to 7.7 GPa
- Agreement between experiments and computations is poor at high temperatures as T-dependent IFCs are not considered



(b) Cumulative thermal-k at 0 and 7.7 GPa

Most of the contribution to thermal-k at both 0 and 7.7 Gpa is from acoustic and low frequency optic modes (below 15 meV)

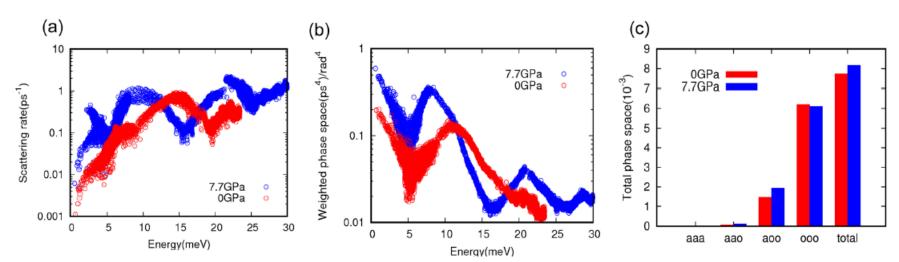
Why thermal-k decrease? (1)

 $\kappa = \frac{1}{3} \sum_{qs} C_{qs} v_{qs}^2 \tau_{qs}$ (Linearized BTE + RTA + Fourier's law)

Upon increasing pressure to 7.7 Gpa

- 1. Heat capacity: changes from 192.83 J/mol/K to 190.08 J/mol/K
- 2. Group Velocity: v_{LA} along ΓM and ΓY both, increase by 10% and v_{TA} decreases by around 10-17% along ΓY

These two factors cannot explain lowering of thermal-k!



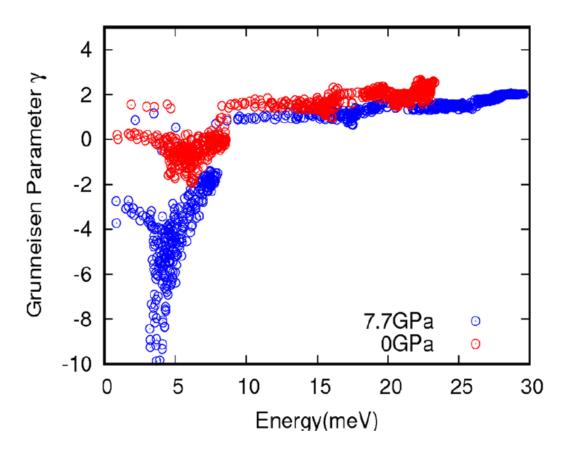
3. Scattering:

- Broadened phonon bandwidth enlarges phonon scattering phase space
- The phase space at 7.7 GPa is much larger in 0-12 meV range especially around 5 meV

Scattering is enhanced at high pressure!

Why thermal-k decrease? (2)

Role of Gruneisen Parameter:



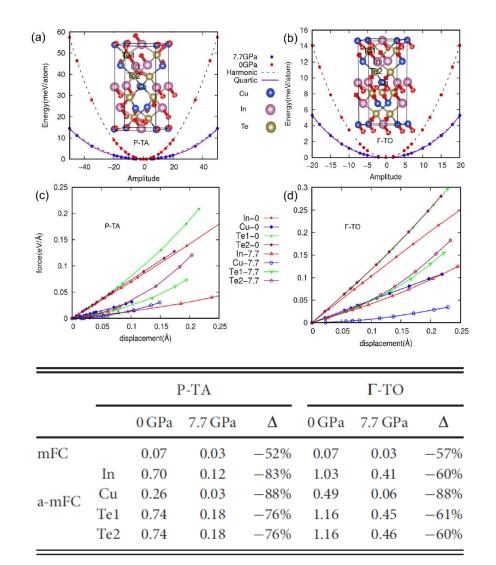
• According to Debye-Calleway model, the scattering rate τ^{-1} is proportional to γ^2

 $\frac{V}{\omega_i} \frac{d\omega}{dp}$

- Even though γ is negative for phonons with energy < 10 meV, |γ| is higher and therefore, a higher scattering rate
- γ of the TA branch at P and PA points reaches largest value at 7.7 GPa and becomes 7 times larger than those at 0 GPa

Frozen phonon potential

Potential energies of TA and TO phonon modes at P and Γ respectively:



- Surprisingle P-TA and $\Gamma\text{-}TO$ modes become flatter under higher pressure
- Unusual since Cu-In and In-Te bond lengths are shorter which should otherwise result in bond-stiffening and steeper potential energy surface
- Harmonic fitting of PES are good enough at both pressures indicating anharmonicity has no role to play here
- Introduced mode Force Constant (mFC) as second derivative of mode PES at equilibrium
- Extracted forces on each atom at various displacements (c and d) and computed atom based mode FC

mFCs decrease by more than half! Some amFCs decrease upto 88%

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Conclusions

- Pressure lowers lattice thermal-k of CuInTe₂
- Upon increasing pressure from 0 GPa to 7.7 GPa, the thermal-k along c direction lowers by almost 49%, thus making CuInTe₂ an attractive TE material
- The negative relation between thermal-k and pressure is due to stronger phonon scattering rate under pressure
- Softening of acoustic phonons and low frequency optical phonons broadens the low energy phonon bandwidth which increases scattering phase space resulting in higher scattering rate

